



Anekant Education Society's  
**Tuljaram Chaturchand College of Arts, Science & Commerce,  
Baramati**  
(*Empowered Autonomous*)

**Three/Four Year Honours/Honours with Research B.Sc. (Comp. Sci.)  
Degree Program  
(Faculty of Science)**

**CBCS Syllabus  
T.Y.B.Sc. (Comp. Sci.) Mathematics  
For Department of Mathematics**

**NEP-2.0  
Choice Based Credit System Syllabus  
(2024 Pattern)**

**(As Per NEP-2020)**

**To be implemented from Academic Year 2026-27**

**CBCS Syllabus as per NEP 2020 for T.Y.B.Sc. (Comp. Sci.) Mathematics  
(2024 Pattern)**

|                              |                                  |
|------------------------------|----------------------------------|
| <b>Name of the Programme</b> | : B.Sc. (Comp. Sci.) Mathematics |
| <b>Program Code</b>          | : USCS                           |
| <b>Class</b>                 | : T.Y.B.Sc. (Comp. Sci.)         |
| <b>Semester</b>              | V                                |
| <b>Course Type</b>           | : Minor                          |
| <b>Course Name</b>           | : Linear Algebra                 |
| <b>Course Code</b>           | : COS-310-MN(B)                  |
| <b>No. of Teaching Hours</b> | 30                               |
| <b>No. of Credits</b>        | 2                                |

**Course Objectives:**

1. To understand properties and operations on System of Linear Equations.
2. To understand basic concepts of Determinants.
3. Understanding of how to translate a linear equation into a matrix.
4. Identify and analyze properties of vector spaces.
5. Understand the concepts of basis and dimensions in vector spaces.
6. Construct orthogonal bases using the Gram-Schmidt process.
7. Understand the use of eigenvalues and eigenvectors with complex matrices.

**Course Outcomes:**

- CO1:** Student will apply the principles of Euclidean n-space, including geometric interpretations and applications.
- CO2:** Recognize and apply the concept of linear independence in vector spaces.
- CO3:** Analyze and understand the row space, column space, and null space of matrices, and relate them to linear transformations.
- CO4:** Apply techniques for determining eigenvalues and eigenvectors of matrices.
- CO5:** Apply the concept of inverse linear transformations and recognize their importance in various applications.
- CO6:** Analyze and calculate the kernel and range of linear transformations.
- CO7:** Apply inner products to analyze angles and Orthogonality in inner product spaces.

### Topics and Learning Points

|   | <b>Teaching Hours</b> |
|---|-----------------------|
| <b>Unit 1: Vector Spaces</b>                    | <b>10</b>             |
| 1.1 Vector Spaces and Subspaces                 |                       |
| 1.2 Solving $Ax = 0$ and $Ax = b$               |                       |
| 1.3 Linearly Independence, Basis and Dimensions |                       |
| 1.4 Linear Transformations                      |                       |
| <b>Unit 2: Orthogonality</b>                    | <b>07</b>             |
| 2.1 Orthogonal Vectors and subspaces            |                       |
| 2.2 Orthogonal Bases                            |                       |
| 2.3 Gram-Schmidt                                |                       |
| <b>Unit 3: Eigen Values and Eigen Vectors</b>   | <b>07</b>             |
| 3.1 Introduction                                |                       |
| 3.2 Diagonalization of a Matrix                 |                       |
| 3.3 Difference Equations and Powers $A^k$       |                       |
| 3.4 Complex Matrices                            |                       |
| <b>Unit 4: Symmetric Matrices</b>               | <b>06</b>             |
| 4.1 Diagonalization of Symmetric Matrices       |                       |
| 4.2 Quadratic Forms                             |                       |

### Text Books:

1. Gilbert Strang, *Linear Algebra and its applications*, Cengage Learning, 4<sup>th</sup> Edition.  
**Unit 1:** Section 2.1 to 2.4  
**Unit 2:** Section 3.1 and 3.4  
**Unit 3:** Section 5.1 to 5.3 and 5.5
2. David C. Lay, *Linear Algebra and its Applications*, MacDonald Pearson Publication, 4<sup>th</sup> Edition.  
**Unit 4:** Section 7.1, 7.2

### Reference Books:

1. Kanti Bhushan Datta, *Matrix and Linear Algebra (aided with MATLAB)*, Eastern Economic Edition.
2. Devi Prasad, *Elementary Linear Algebra*, Narosa, 3<sup>rd</sup> Edition.
3. Sheldon Axler, *Linear Algebra Done Right*, Springer, 2<sup>nd</sup> Edition.
4. S. Kumaresan, *Linear Algebra: A Geometric Approach*, Prentice Hall of India, New Delhi.
5. K. Hoffmann and R. Kunze, *Linear Algebra*, Prentice Hall of India.

### CO-PO Mapping

**Weightage:** 1 – weak or low relation, 2 – moderate or partial relation, 3 – strong or direct relation

| Programme<br>Outcomes | Course Outcomes |     |     |     |     |     |     |
|-----------------------|-----------------|-----|-----|-----|-----|-----|-----|
|                       | CO1             | CO2 | CO3 | CO4 | CO5 | CO6 | CO7 |
| PO01                  | 3               | 3   | 3   | 3   | 3   | 3   | 3   |
| PO02                  | 2               | 2   | 3   | 3   | 3   | 3   | 2   |
| PO03                  | 1               | 1   | 1   | 2   | 2   | 1   | 1   |
| PO04                  | 3               | 3   | 3   | 3   | 3   | 3   | 3   |
| PO05                  | 3               | 3   | 3   | 3   | 3   | 3   | 3   |
| PO06                  | 1               | 1   | 2   | 1   | 1   | 2   | 1   |
| PO07                  | 2               | 2   | 3   | 3   | 2   | 3   | 2   |
| PO08                  | 2               | 2   | 2   | 2   | 2   | 2   | 2   |
| PO09                  | 1               | 1   | 2   | 2   | 2   | 2   | 2   |
| PO10                  | 1               | 1   | 1   | 1   | 1   | 1   | 1   |
| PO11                  | 1               | 1   | 1   | 1   | 1   | 1   | 1   |
| PO12                  | 2               | 2   | 2   | 2   | 2   | 2   | 2   |
| PO13                  | 1               | 1   | 1   | 1   | 1   | 1   | 1   |

#### Justification for the mapping

#### **PO1: Comprehensive Knowledge and Understanding**

Strong (3) mapping with CO1–CO7, as all course outcomes develop deep theoretical understanding of vector spaces, matrices, eigenvalues, linear transformations, and inner product spaces.

#### **PO2: Practical, Professional, and Procedural Knowledge**

Strong (3) mapping with CO3–CO6 and Moderate (2) with CO1, CO2, CO7, as matrix operations, eigenvalue computation, and transformation analysis build procedural and applied competency.

#### **PO3: Entrepreneurial Mindset and Knowledge**

Moderate (2) mapping with CO4 and CO5 and Weak (1) with remaining COs, as eigenvalues and linear transformations support modelling, optimization, and innovative computational applications.

#### **PO4: Specialized Skills and Competencies**

Strong (3) mapping with CO1–CO7, as all outcomes develop advanced analytical, algebraic, and subject-specific competencies in Linear Algebra.

**PO5: Application, Problem-Solving, and Analytical Reasoning**

Strong (3) mapping with CO1–CO7, as each outcome enhances logical reasoning, structured problem solving, and analytical thinking.

**PO6: Communication Skills and Collaboration**

Moderate (2) mapping with CO3 and CO6 and Weak (1) with the remaining COs, as interpretation and explanation of matrix spaces, kernel, range, and transformations improve academic communication skills.

**PO7: Research-Related Skills**

Strong (3) mapping with CO3, CO4, CO6 and Moderate (2) with others, as abstract reasoning and eigenvalue analysis provide a strong foundation for research aptitude.

**PO8: Learning How to Learn Skills**

Moderate (2) mapping with CO1–CO7, as engagement with abstract mathematical concepts promotes independent learning and intellectual growth.

**PO9: Digital and Technological Skills**

Moderate (2) mapping with CO3–CO7 and Weak (1) with CO1, CO2, as computational aspects of matrices and transformations enhance technological proficiency.

**PO10: Multicultural Competence, Inclusive Spirit, and Empathy**

Weak (1) mapping with CO1–CO7, as the course indirectly promotes logical, unbiased reasoning with limited direct multicultural linkage.

**PO11: Value Inculcation and Environmental Awareness**

Weak (1) mapping with CO1–CO7, as ethical academic practice is encouraged though environmental connection is indirect.

**PO12: Autonomy, Responsibility, and Accountability**

Moderate (2) mapping with CO1–CO7, as independent analytical work and assignments foster responsibility and accountability.

**PO13: Community Engagement and Service**

Weak (1) mapping with CO1–CO7, as the course is primarily theoretical with indirect scope for societal application.